

<u>SAMPLE ENTRANCE EXAM – PHYSICS (A)</u>

Student Name: School:

Maximum Marks: 100

Duration: 90 Minutes

Note: Attempt all the questions.

Question 1

(5 marks)

The length and breadth of a rectangular sheet are 0.975 cm and 0.94 cm, respectively. The area (in cm²) of the sheet in correct significant figures (الارقام الهامة) is (أو المؤترة المناسبة (Hint; Area = length x breadth) Answer:

Question 2

(5 marks)

The sum of the number 236.02, 2	7.2, and 0.201 in <i>appropriate significant</i>	
is (الارقام المهامة او المؤترة المناسبة)		
Answer:		



Question 4

(5 marks)



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(2+3=5 marks)
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Question 6

(5 marks)

A car traveling at 15 m/s starts to decelerate	steadily. It comes to a complete stop in
10 seconds. What is it's acceleration (عجلة)?	m/s^2 .

Person B is $\underline{4 \ m \ to \ the \ right}$ of person A relative to the origin *O*. Person B walks a displacement $\vec{D}_B = (4\hat{\imath} + 2\hat{\jmath}) \ m$ and person A walks a displacement $\vec{D}_A = (2 \ \hat{\imath} - 3\hat{\jmath}) \ m$.



(5 marks)



A vector \vec{A} is given by:

$$\vec{A} = 5\hat{\imath} - \hat{3}j$$

(a) Find the **<u>magnitude</u>** of vector \vec{A} . (b) Find the **<u>unit vector</u>** of \vec{A} .

Solution:

(a):

(b):

Question 12

(5+5=10 marks)

In the diagram below, a massless string connects two blocks m_1 and m_2 on a flat tabletop. A force of magnitude F pulls on block of mass m_2 as shown.



Draw <u>separate</u> well-labeled free-body diagrams showing all the forces acting on m_1 and m_2 .

Solution







(10 marks)

A constant force acting on a body of mass 5 kg changes its velocity from 20 m/s to 45 m/s in 5 seconds. Find the <u>acceleration</u> produced by the applied force and find the applied force.

Solution:

Formula Sheet

$$\begin{aligned} Velocity, v &= \frac{displacement}{time} = \frac{x}{t} \\ Acceleration, a &= \frac{velocity}{time} = \frac{v}{t} \\ v &= u + at, \quad v^2 - u^2 = 2ax, \quad x = ut + \frac{1}{2}at^2 \\ \vec{A} &= |A| \hat{A}, \quad \hat{A} = \frac{\vec{A}}{|A|}, \quad \vec{A} = A_x \hat{\imath} + A_y \hat{\jmath} \\ |\vec{R}| &= \sqrt{R_x^2 + R_y^2}, \quad \tan \alpha = \frac{R_y}{R_x}, \quad \hat{R} = \frac{\vec{R}}{|R|}. \\ \vec{p} &= m\vec{v}, \qquad \vec{F} = m\vec{a}, \qquad F_f = \mu_s N \end{aligned}$$